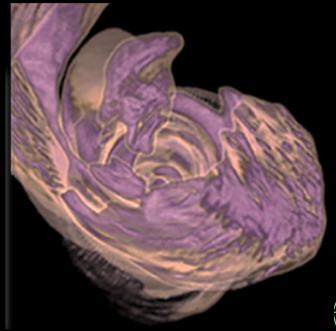




Distributed Data Analysis at Scale

"Data movement, rather than computational processing, will be the constrained resource at exascale." — Dongarra et al. 2011.

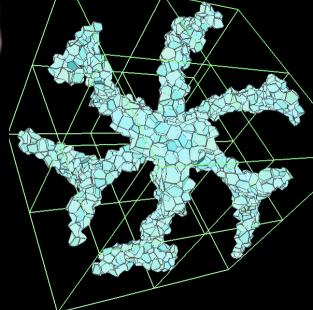
Analysis, Storage, and Privacy for Big Data Seminar JSM 2016 August 4, 2016 Tom Peterka tpeterka@mcs.anl.gov http://www.mcs.anl.gov/~tpeterka Mathematics and Computer Science Division



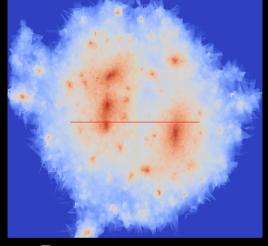
Ridge detection in

meteorology

Examples



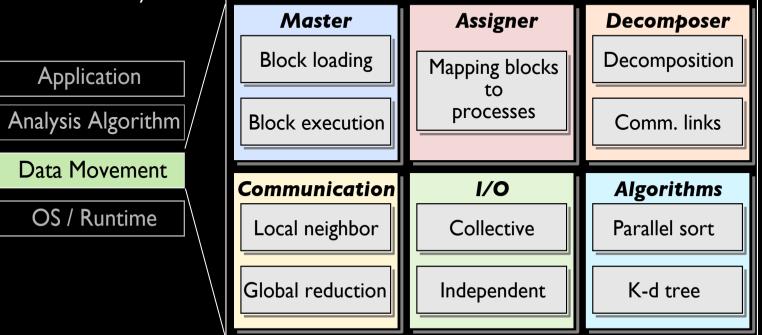
Computational geometry in molecular dynamics



Density estimation in cosmology



Common Data Movement Layer



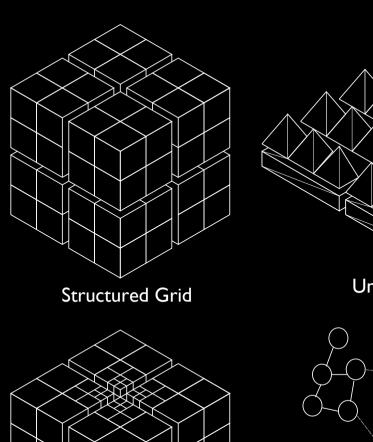
DIY is a programming model and runtime for HPC block-parallel data analytics.

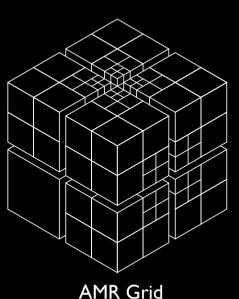
- Block parallelism
- Flexible domain decomposition and assignment to resources
- Efficient reusable communication patterns
- Automatic dual in- and out-of-core execution
- Automatic block threading

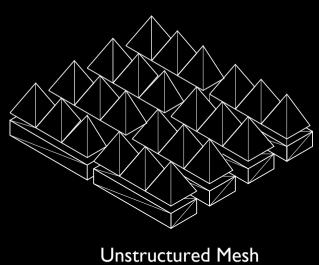
Basic Concepts

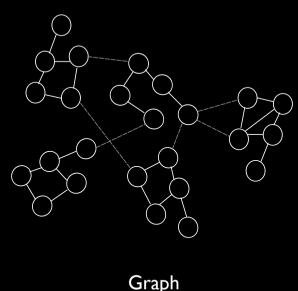
Partition Data Into Blocks

The block is the basic unit of data decomposition. Original dataset is decomposed into generic subsets called blocks, and associated analysis items live in the same blocks. Blocks don't have to be "blocky." Any subdivision of data (eg., a set of graph nodes, a group of particles, etc.) is a block.



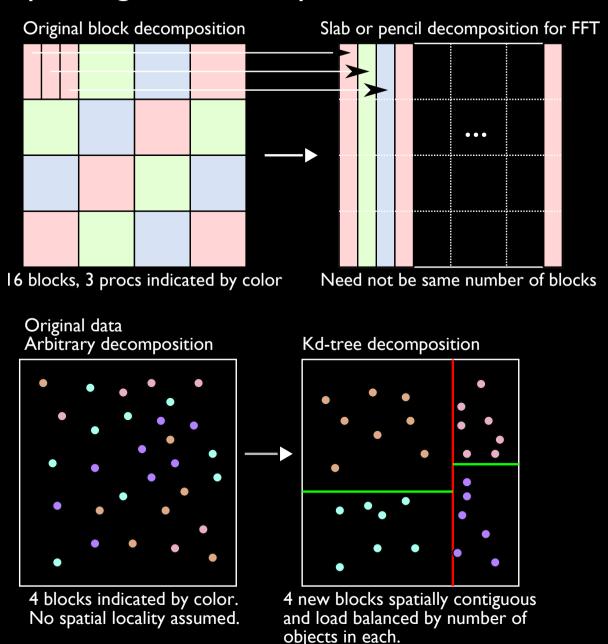






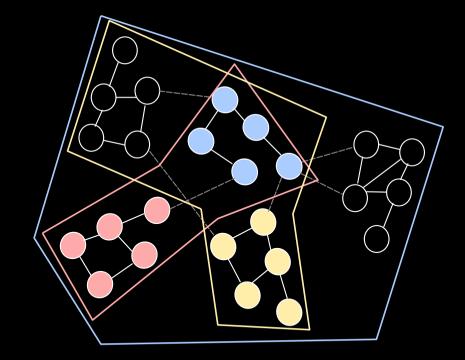
Multiple Regular Decompositions

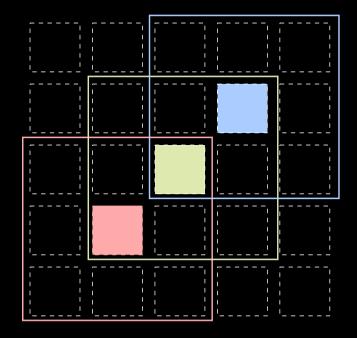
- Decomposition
 can be a regular
 grid of blocks or a
 k-d tree.
- 2. For a regular grid, constraints on numbers of blocks can be imposed to get pencil or slab shapes.
- Multiple decompositions can co-exist.

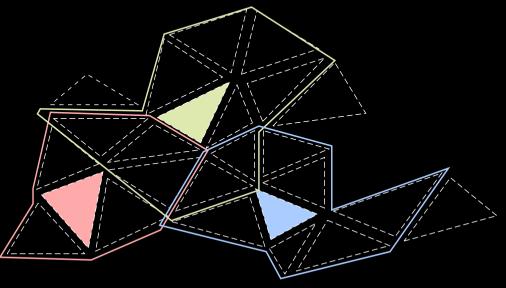


Neighborhood Links

- Limited-range communication
- Allow arbitrary groupings
- Distributed, local data structure and knowledge of other blocks (not master-slave global knowledge)







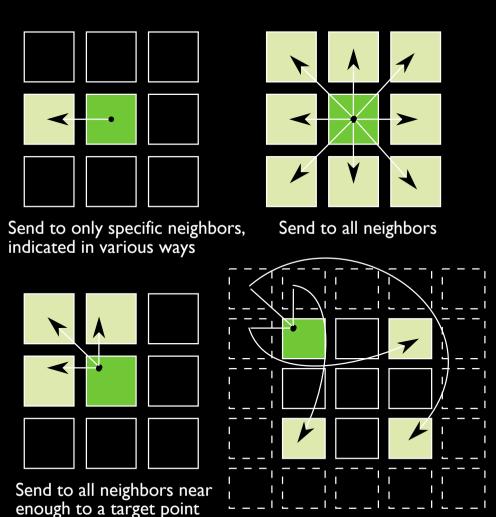
Examples of 3 neighborhoods in a regular grid, unstructured mesh, and graph.

Communicate over the Link

DIY provides point to point and different varieties of collectives within a neighborhood via its enqueue/exchange/dequeue mechanism.

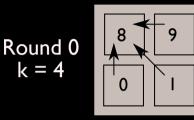
How to enqueue items for neighbor exchange

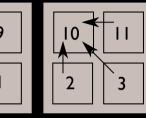
- DIY offers several options
- Send to a particular neighbor or neighbors, send to all nearby neighbors, send to all neighbors
- Support for periodic boundary conditions

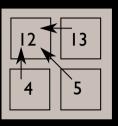


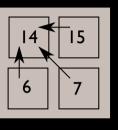
Support for wraparound neighbors (periodic boundary conditions)

Global Communication **Patterns** Merge-reduce



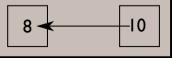






Round I k = 2

k = 4





Results

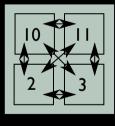
8

12

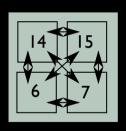




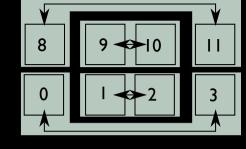


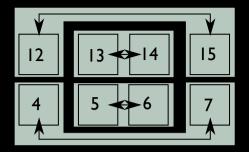












Results

0

8

10

П

12

13

14

15

```
// initialization
                         master(world, num threads, mem blocks, ...);
Master
                        assigner(world.size(), tot blocks);
ContiguousAssigner
decompose(dim, world.rank(), domain, assigner, master);
// compute, neighbor exchange
master.foreach(&foo);
master.exchange();
// reduction
RegularSwapPartners(dim, tot blocks, k);
reduce(master, assigner, partners, &foo);
// callback function for each block
void foo(void* b, const Proxy& cp, void* aux)
  for (size_t i = 0; i < in.size(); i++)
     cp.dequeue(cp.link()->target(i), incoming_data);
  // do work on incoming data
  for (size t i = 0; i < out.size(); i++)
     cp.enqueue(cp.link()->target(i), outgoing data[i]);
```

Example Usage

One Example in Detail

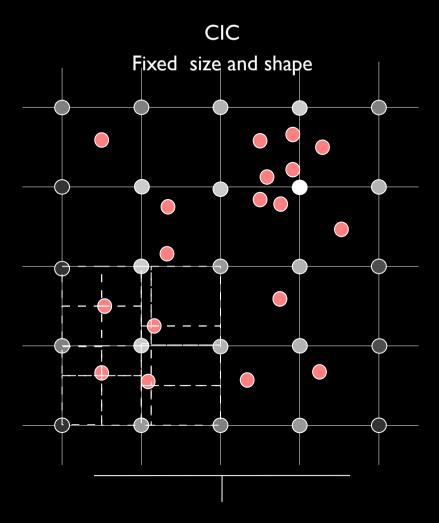
Self-Adaptive Density Estimation

Sampling a regular density field from a distribution of particle positions using a Voronoi tessellation as an intermediate data model.

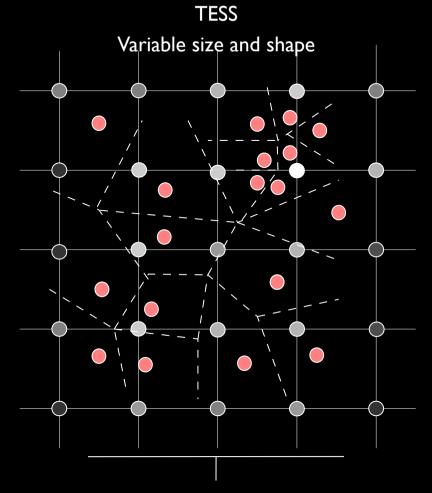
Key Ideas

- Convert discrete particle data into continuous function that can be interpolated, differentiated, interpolated, represented as a regular grid (field)
- Automatically adaptive window size and shape
- Comparison with CIC using synthetic and actual data
- Voronoi tessellation and density estimation computed in parallel on distributed-memory HPC machines

Estimation Kernels



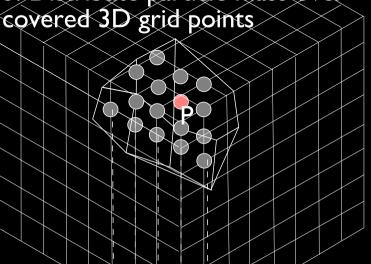
In cloud-in-cell (CIC) methods, particles are distributed to a fixed number of grid points.



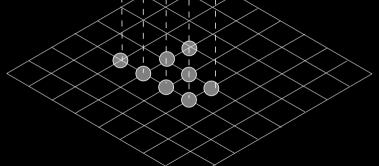
In tessellation (TESS) methods, particles are distributed to a variable number of grid points according to the Voronoi or Delaunay tessellation that has variable size and shape cells.

Overall Algorithm

- I. Form Voronoi cells in 3D
- 2. Find covered grid points in 3D
- 3. Distribute particle mass over



- 4. Optionally project grid point mass to 2D
- 5. Convert mass to 3D or 2D density



```
for (all Voronoi cells) {
 compute grid points in Voronoi cell interior
 for (all interior grid points) {
  if (grid point is inside local block)
    add mass contribution to grid point
  else
    send mass contribution to neighbor block
      containing grid point and add it there
  if (2D projection) {
    accumulate mass at 2D pixel
    divide by pixel area for 2D density
  else
     divide by voxel volume for 3D density
 } // interior grid points
} // Voronoi cells
```

Accuracy

Navarro-Frenk-White (NFW)

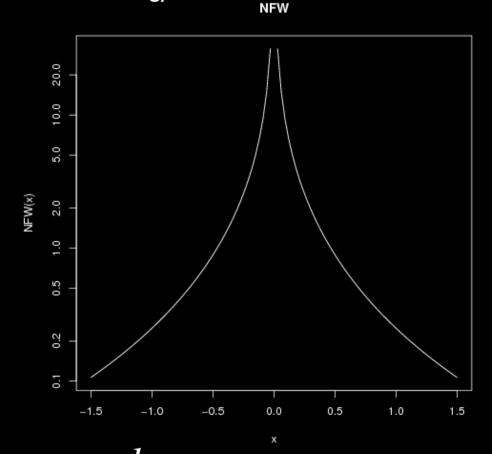
Synthetic dataset derived from an analytical density function commonly used in cosmology.

k is a constant, I for us

 ρ (r) is Monte Carlo sampled to get test set of particles

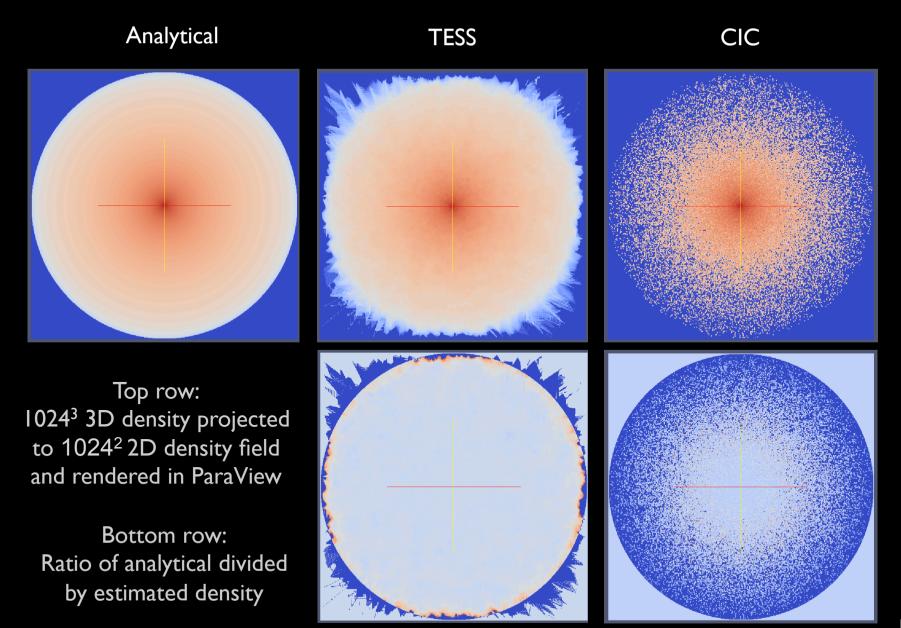
Ground truth is 2D plot of $\rho(r)$

We limit r to [-1.5, 1.5] and NFW(r) to 10^6



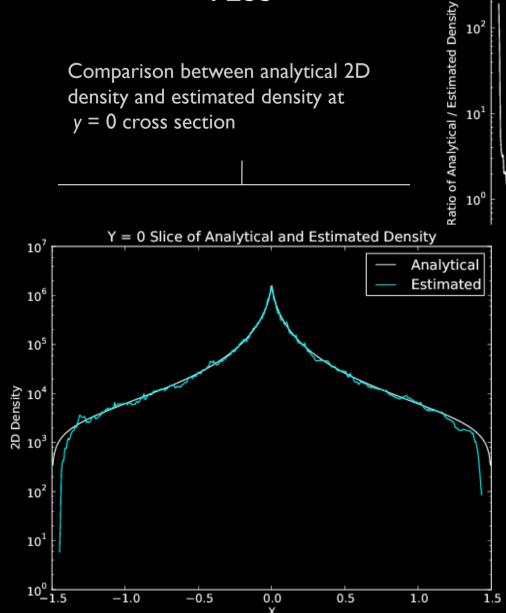
$$\rho(r) = \frac{\kappa}{(r(r+1)^2)}$$

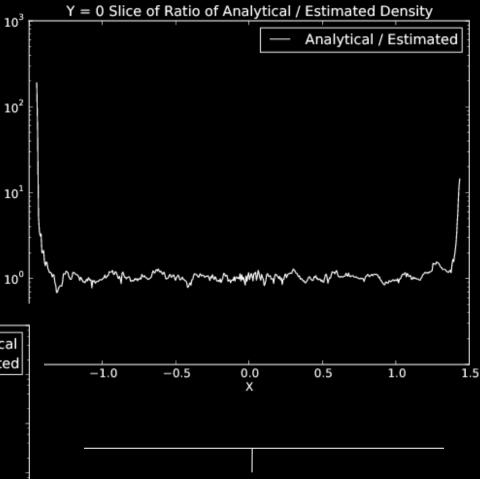
NFW 2D Density Fields





Comparison between analytical 2D density and estimated density at y = 0 cross section





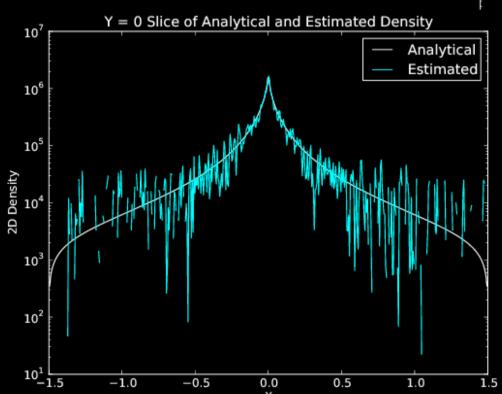
Ratio between analytical 2D density divided by estimated density at y = 0 cross section

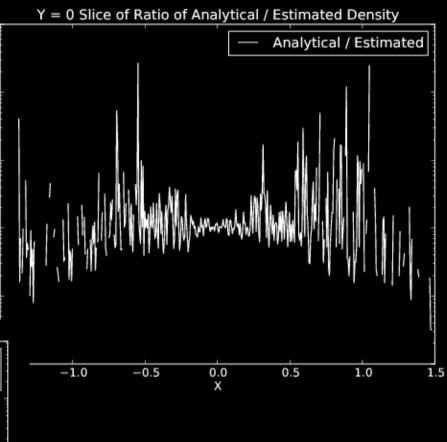


 10^{3}

Ratio of Analytical / Estimated Density

Comparison between analytical 2D density and estimated density at y = 0 cross section

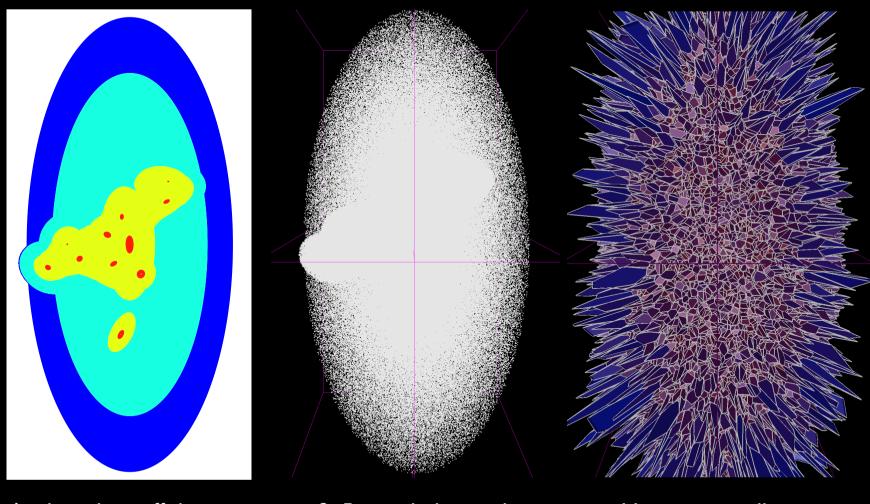




Ratio between analytical 2D density divided by estimated density at y = 0 cross section

Complex NFW (CNFW)

Our second synthetic dataset is a combination of several NFWs of varying cutoff densities and asymmetric scaling factors.

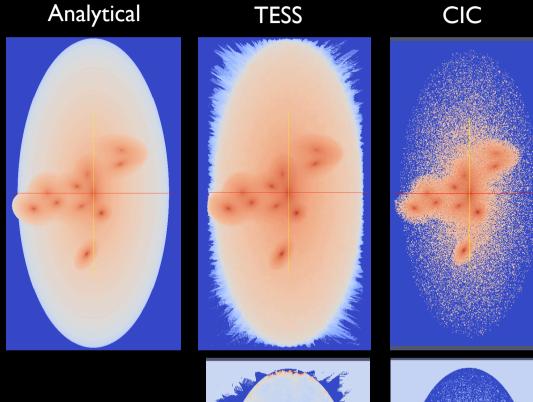


Analytical cutoff density contours

2e5 sampled particles

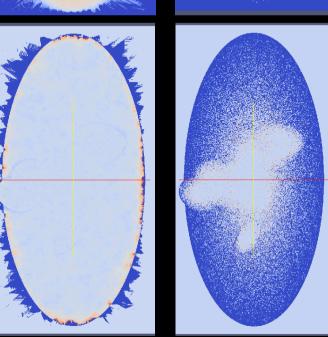
Voronoi tessellation

CNFW 2D Density Fields

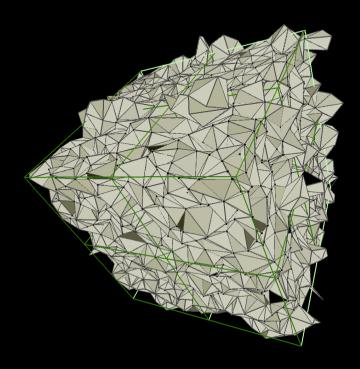


Top row: 1024³ 3D density projected to 1024² 2D density field and rendered in ParaView

Bottom row: Ratio of analytical divided by estimated density

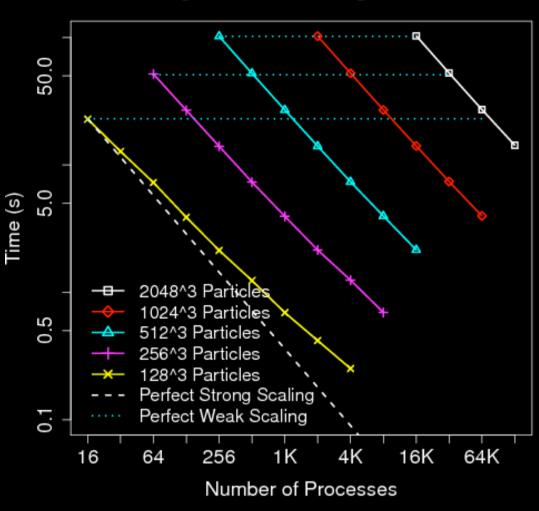


Performance of Voronoi Tessellation

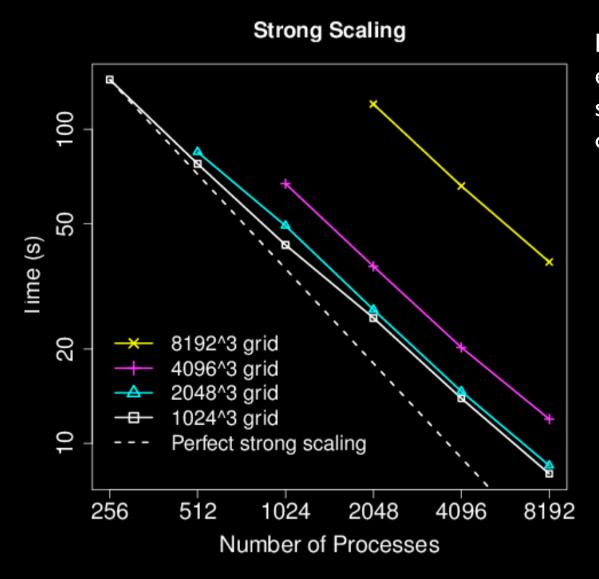


Strong and weak scaling for up to 2048³ synthetic particles and up to 128K processes (excluding I/O) shows up to 90% strong scaling and up to 98% weak scaling.

Strong and Weak Scaling

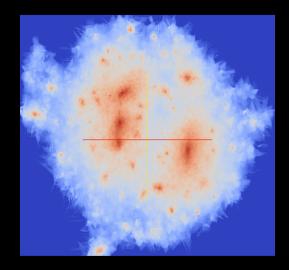


Performance of Density Estimation



Left: Strong scaling of estimating the density of 512³ synthetic particles onto grids of various sizes.

Below: Density estimation of one halo of dark matter particles in a cosmology simulation



Recap

How to DIY Data Analysis

DIY data movement library for parallelizing data analysis

- Decompose data into blocks
- Assign blocks to processing elements
- Have several decompositions at once
- Overload blocks, migrate blocks between processing elements
- Communicate between blocks
- Migrate blocks in and out of core
- Thread blocks with finer-grained processing elements

Tessellation-based density estimation example

- Parameter-free
- Shape-free
- Automatically adaptive
- Higher quality estimation in high-contrast data
- Scalable parallel performance

References

DIY Papers

- Peterka, Ross, Kendall, Gyulassy, Pascucci, Shen, Lee, Chaudhuri: Scalable Parallel Building Blocks for Custom Data Analysis. LDAV 2011.
- Peterka, Ross: Versatile Communication Algorithms for Data Analysis. EuroMPI 2012.
- Morozov, Peterka: Block-Parallel Data Analysis with DIY2. Submitted to LDAV 2016.
 Selected DIY Application Papers
- Morozov, Peterka: Efficient Delaunay Tessellation through K-D Tree Decomposition. To appear SCI6.
- Peterka, Croubois, Li, Rangel, Cappello: Self-Adaptive Density Estimation of Particle Data.
 SIAM Journal on Scientific Computing SISC Special Section on CSE 2015.
- Peterka, Morozov, Phillips: High-Performance Computation of Distributed-Memory Parallel 3D Voronoi and Delaunay Tessellation. SC14.
- Lu, Shen, Peterka: Scalable Computation of Stream Surfaces on Large Scale Vector Fields.
 SC14.
- Nashed, Vine, Peterka, Deng, Ross, Jacobsen: Parallel Ptychographic Reconstruction. Optics Express 2014.
- Gyulassy, Peterka, Pascucci, Ross: The Parallel Computation of Morse-Smale Complexes. IPDPS 2012.
- Nouanesengsy, Lee, Lu, Shen, Peterka: Parallel Particle Advection and FTLE Computation for Time-Varying Flow Fields. SC12.
- Chaudhuri, A., Lee-T.-Y., Zhou, B., Wang, C., Xu, T., Shen, H.-W., Peterka, T., Chiang, Y.-J.: Scalable Computation of Distributions from Large Scale Data Sets. LDAV 2012.





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github.com/diatomic/diy2 github.com/diatomic/tess2

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Mathematics and Computer Science Division